

# 13. fejezet

## Irodalom II

Először soroljuk azokat a tankönyveket ill. monográfiákat I.-ből, amelyeket most is érdemes konzultálni.

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